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A System-Theoretic Clean Slate Approach to Secure Protocols for Wireless Networks

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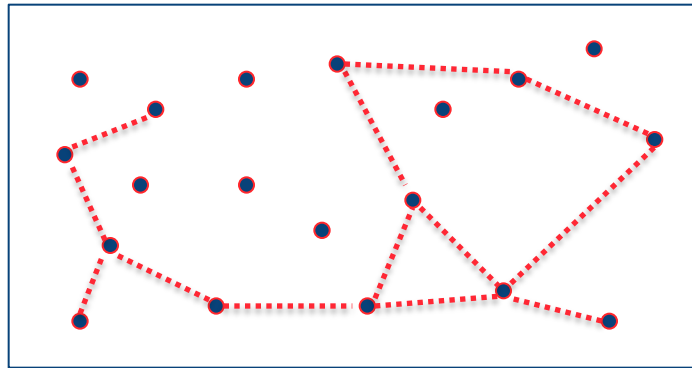


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CSol Big Data Workshop
March 18-20, 2013
Honolulu

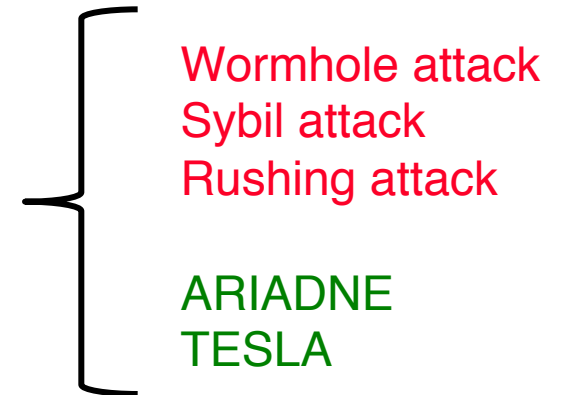
Focus: Ad hoc multi-hop wireless networks



- Packets possibly multi-hop from sources to destinations
- Require no pre-existing infrastructure
- No centralized controller
- Distributed decision making: Nodes themselves determine power levels, transmit times, routes, schedules
- Require multiple protocols to operate

Motivation

- ◆ Usual approach, including in wireless networks, has been
 - Develop protocols for good performance
- ◆ Then
 - Some **ATTACK** is identified
 - A **DEFENSE** is developed for that attack
 - Then another **ATTACK** is identified
 - Another **DEFENSE** for that attack
 - ...
- ◆ Result
 - A sequence of patches
 - An arms race
- ◆ Difficulty
 - We don't know what other attacks are possible
 - No guarantees of security



The problem of defending against attacks

- ◆ Given a protocol, we can harden it against a particular attack
- ◆ Result: a hardened protocol that is immune to that *particular* attack
- ◆ But can we develop a protocol that is immune to *all* attacks?
- ◆ We cannot even list all attacks, let alone develop defenses attack by attack
- ◆ So what can we do?

Need for a system-theoretic approach

- ◆ System-theoretic view: Every attack is a *policy* in a given model of the system
- ◆ So the goal is to develop a *Model Based Defense*
 - Assume a model of capabilities for the attacker
 - Defend against all capabilities
- ◆ Defend against Byzantine behavior of *malicious* nodes
- ◆ The *good* nodes have to publish a protocol and follow it
- ◆ Now we get a *game* between protocols and Byzantine behavior
- ◆ *What is a model of the system for which we can develop such a theory and a complete suite of protocols?*

But what about Performance?

- ◆ There may be many protocols that can defend against attacks
 - How do we choose among them?
 - Reminiscent of “throughput optimality” vs. “throughput optimality with low delay”

◆ We can postulate a performance measure: A *Utility function* $U(x)$

◆ Now we get a zero-sum game:

| | | |
|--|---------------------------------|--------|
| <i>Max</i> | <i>Min</i> | $U(x)$ |
| Protocols announced and followed by good nodes | Byzantine behavior of bad nodes | |

- ◆ Can we develop a max-min optimal super-protocol?
 - A complete suite of protocols
- ◆ Further questions: What type of performance measure?
 - Long term, Transient performance, etc

Goals

- ◆ Can we develop a system-theoretic principled and holistic approach to security?
 - Where Security is addressed first, not an afterthought
 - Performance is addressed second; and it is optimized while preserving security
 - Reverse of the usual approach

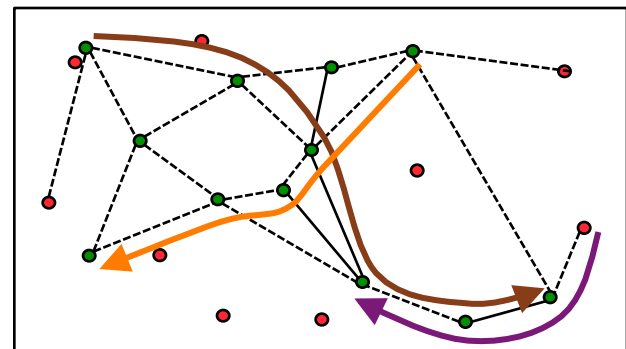
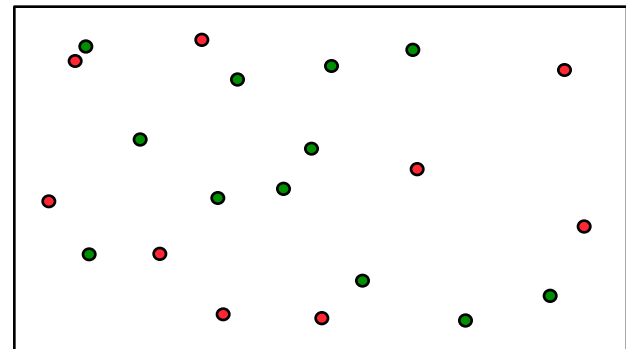
- ◆ Security objective
 - A system-theoretic clean slate approach to secure wireless networking
 - Provable security: Guaranteed if model assumptions satisfied
 - » Subsequently, model assumptions can be attacked/challenged
 - Develop a complete suite of algorithms/protocols
 - An “existence theorem,” if you will, or as providing algorithms

- ◆ Also a performance guarantee: Max-Min Optimality
 - Max is over protocols
 - Min is over all actions of malicious nodes

A lot of explanation is clearly needed ...

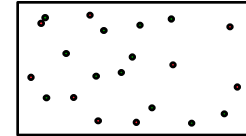
Basic objective

- ◆ A complete suite of algorithms/protocols that takes you
- ◆ From startup
 - With just a set of nodes
 - Some **good**
 - Some **bad**
 - Good nodes don't know who the bad nodes are
- ◆ To an optimized functional network carrying data reliably



What can go wrong with a network formed in presence of bad nodes?

- ◆ Some nodes are bad. What can go wrong?



- ◆ Lots of things. A bad node could
 - Refrain from relaying a packet
 - Advertise a wrong hop count
 - Advertise a wrong logical topology
 - Jam
 - Cause packet collisions
 - Behave uncooperatively vis-à-vis medium access
 - Disrupt attempts at cooperative scheduling
 - Drop an “ACK”
 - Refuse to acknowledge a neighbor’s handshake
 - Behave inconsistently

“Byzantine”
behavior

Main results on security-cum-performance

Theorem

- ◆ The described protocol suite yields a network that is Max-Min optimal with respect to the utility function

$$\underset{\text{Protocols}}{\text{Max}} \underset{\text{All behaviors of bad nodes}}{\text{Min}} U(x)$$

- ◆ Actually, the protocol suite achieves a stronger result: It attains Min-Max optimality and is thus a *saddle-point*:

$$\underset{\text{All behaviors of bad nodes}}{\text{Min}} \underset{\text{Protocols}}{\text{Max}} U(x)$$

- ◆ In fact the protocol suite provides an even stronger result: It attains

$$\underset{\text{Bad nodes can choose to either Jam or Cooperate}}{\text{Min}} \underset{\text{Protocols}}{\text{Max}} U(x)$$

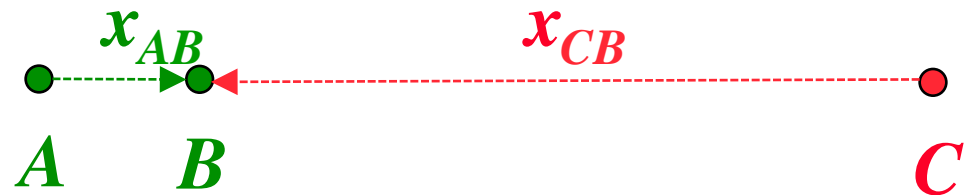
Bottom line

Min *Max* $U(x)$
Bad nodes can choose to either Jam or Cooperate Protocols

- ◆ Bad nodes are restricted to **Jamming** or **Cooperating** consistently on each concurrent transmission set
- ◆ Nobody can prevent jamming or cooperating
- ◆ Other Byzantine behaviors are ruled out
 - Dropping ACKs, lying, etc.

Why would a bad node ever cooperate?

- ◆ $U(x) = \text{Min}(x_i)$



- ◆ C is far away

- ◆ Low signal/interference at B

- ◆ If C jams, it can only slightly reduce x_{AB}

$$\lim_{|BC| \rightarrow \infty} x_{AB} = x_{AB}^{Max}$$

- ◆ If C pretends to be good, it gets an equal share, and

$$\lim_{|BC| \rightarrow \infty} x_{AB} = 0$$

- ◆ C causes more harm by cooperating and getting “fair share”

Fundamental ingredients of our approach

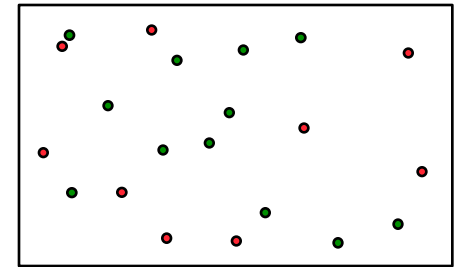
- ◆ Standard cryptographic primitives are assumed
 - All packets encrypted
 - Bad nodes cannot create fake packets, or alter good packets without getting caught, etc.

- ◆ And, importantly: Clocks and synchronization
 - Without a notion of *time*, we cannot even talk of throughput
 - Without throughput we cannot talk of network Utility
 - So *time* is an essential ingredient

 - With notion of *common* time, nodes can cooperate temporally, can share resources in a time-based way
 - Cooperative scheduling, etc., will be possible
 - So *synchronization* will be a fundamental ingredient

Model: Assumptions – 1

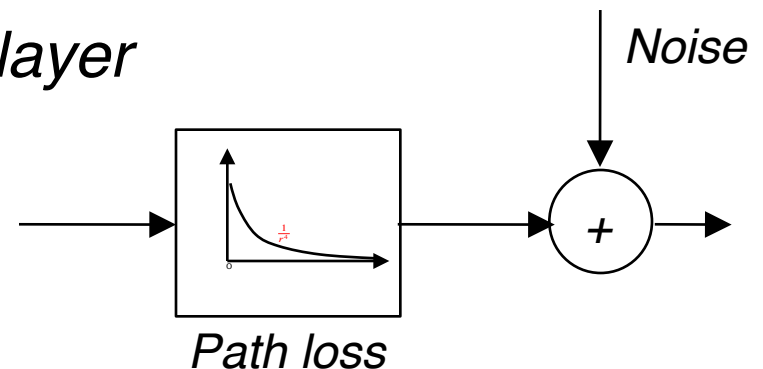
- ◆ Bounded domain
- ◆ n nodes, some bad
- ◆ Minimum distance between any pair of nodes
- ◆ Nodes are not mobile



- ◆ Finite set of modulation schemes

- ◆ *Or can assume more about physical layer*

- *Max power constraint at each node*
- *Noise at each node*
- *Path loss is a function of distance*
- *SINR based rate*



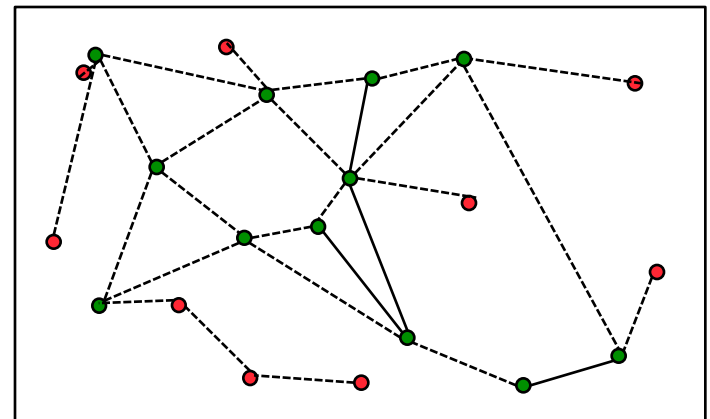
Model: Assumptions – 2

◆ Connectedness

- Suppose all nodes transmit at Max power
- Let us say there is an edge between each pair of nodes (i, j) which can communicate at lowest rate modulation scheme
- *Or there is an edge between each pair of nodes (i, j) an for which $SINR_{ij}$ and $SINR_{ji}$ both exceed $SINR_{threshold}$*

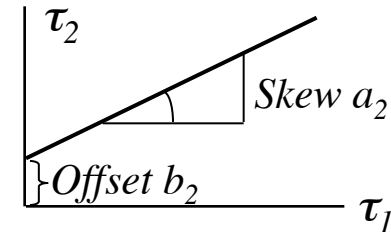
– Assumption

- » Resulting graph is connected
- » Subgraph of good nodes is also connected



Model: Assumptions – 3

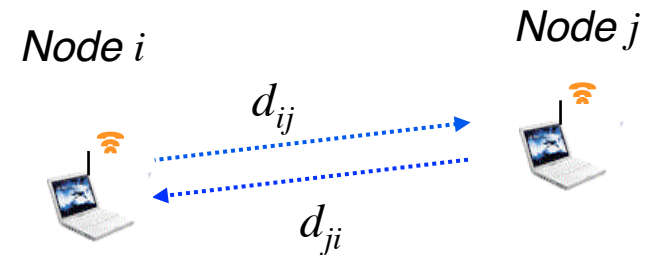
- ◆ Affine clock at each node
 - $0 < 1 - \epsilon \leq \text{Skew} \leq 1 + \delta$ for all nodes



- ◆ Digital clocks
 - Clocks tick “digitally” – causing imprecision
 - Clocks wrap around
- ◆ System start-up
- ◆ All nodes are born within a bounded time of each other
 - Primordial birth

Model: Assumptions – 4

- ◆ Packets take a delay d_{ij} from node i to node j



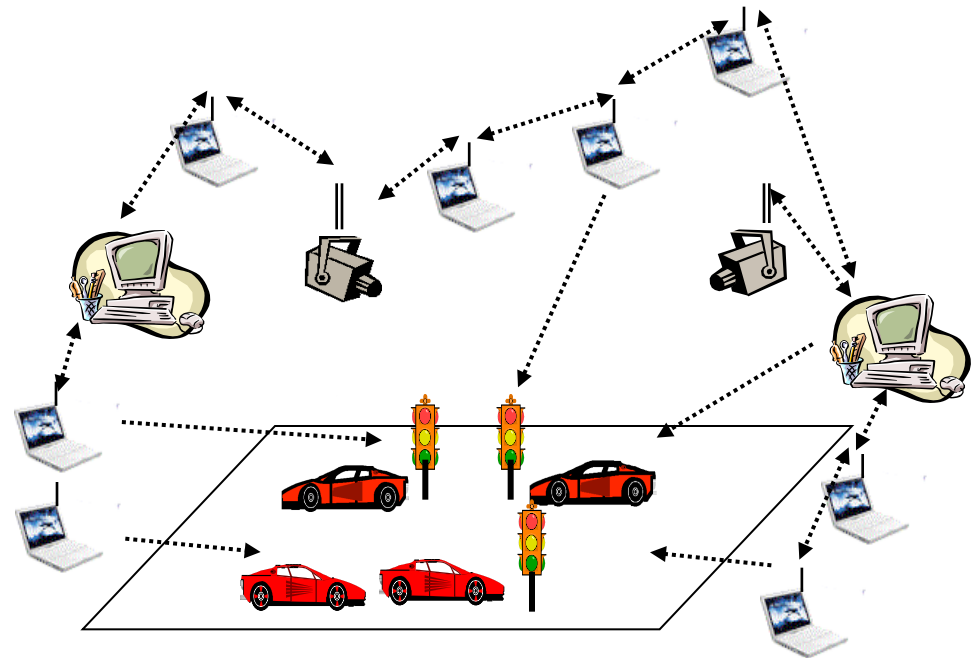
- ◆ Cryptographic assumptions
 - Each node has a private key, public key
- ◆ Network Utility function

$$U(x) = \sum_{\text{All conforming pairs } (i,j)} U_{ij}(x_{ij})$$

Clocks over wireless networks

Clock synchronization over wireless networks

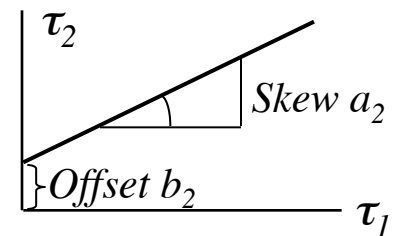
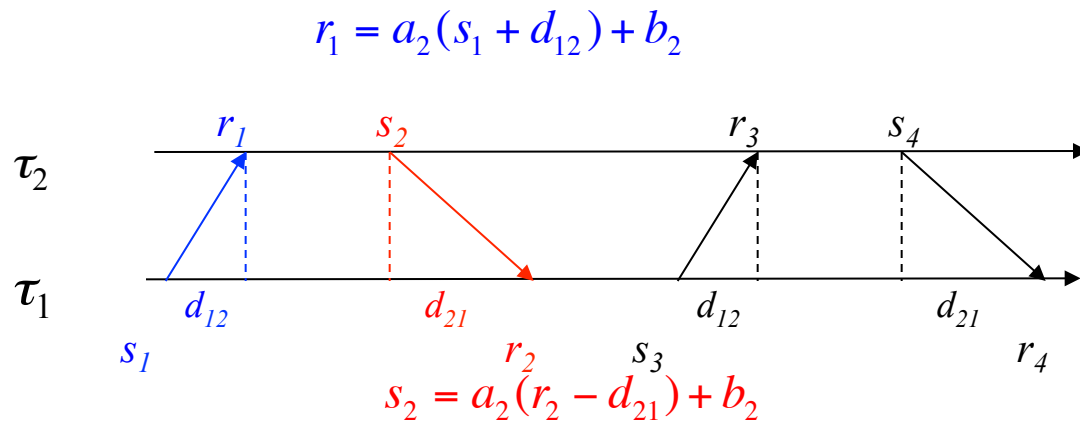
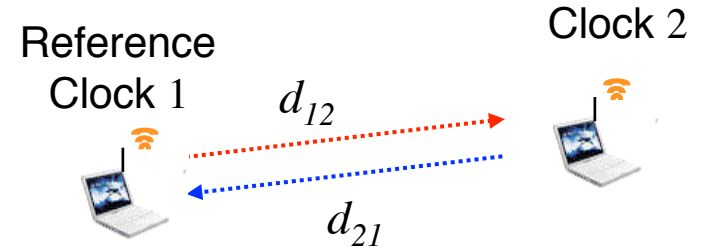
- ◆ Knowledge of time is important in Networks
 - Communication network protocols
 - Sensor network applications
 - Networked control
 - *And for security: Clock synchronization can be helpful vis-à-vis security*
- ◆ However no two clocks agree
- ◆ How to synchronize clocks in wireless networks?
- ◆ And what about security of clock synchronization itself?



It is impossible to synchronize two clocks

◆ Theorem (Graham & K '04)

- It is impossible to determine $(d_{12}, d_{21}, a_2, b_2)$ through any packet exchanges



$$\begin{bmatrix} r_1 \\ s_2 \\ r_3 \\ s_4 \\ \dots \end{bmatrix} = \begin{bmatrix} s_1 & 1 & 0 & 1 \\ r_2 & 0 & -1 & 1 \\ s_3 & 1 & 0 & 1 \\ r_4 & 0 & -1 & 1 \\ \dots & \dots & \dots & \dots \end{bmatrix} \begin{bmatrix} a_2 \\ a_2 d_{12} \\ a_2 d_{21} \\ b_2 \end{bmatrix}$$

Rank 3:
Cannot estimate 4 parameters

So what is determinable?

The skew a_2 can be estimated correctly.

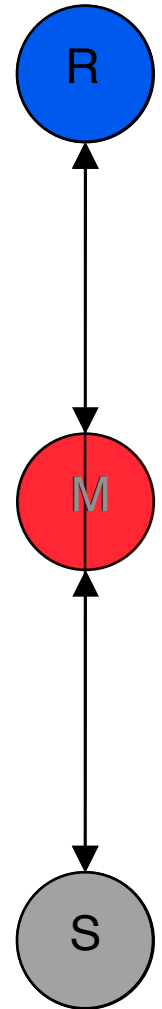
The round-trip delay ($d_{1j} + d_{j1}$) can be estimated precisely.

The sender can predict the receiver's time at which receiver receives a packet.

Interplay between clock synchronization and security

A fundamental possibility in wireless networks: Man-in-the-middle

- ◆ To what extent can a *Man-in-the-Middle* remain undetected?
- ◆ Can we synchronize clocks in spite of the *Man-in-the-Middle*?
- ◆ Suppose all messages are encrypted: Then
 - M cannot decrypt any messages between S to R
 - M cannot alter any messages between S and R
 - M cannot create any fake messages between S and R
- ◆ So M has to provide a *logical channel* between S and R



But what can Man-in-the-Middle do
with respect to *Delay*?

Affine forwarding policy

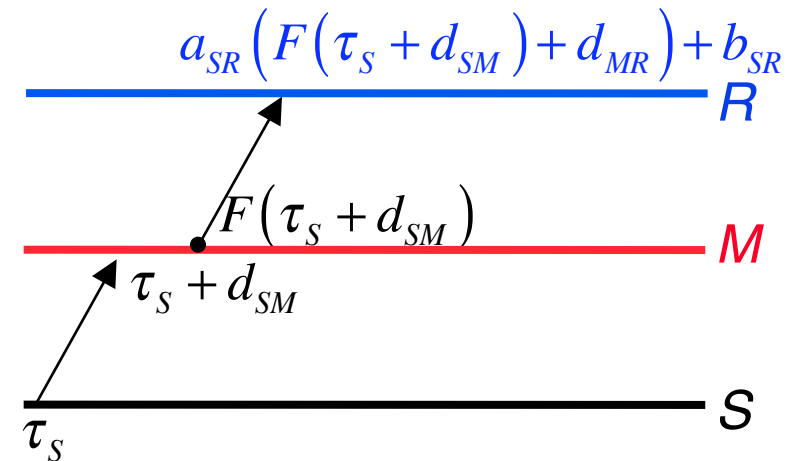
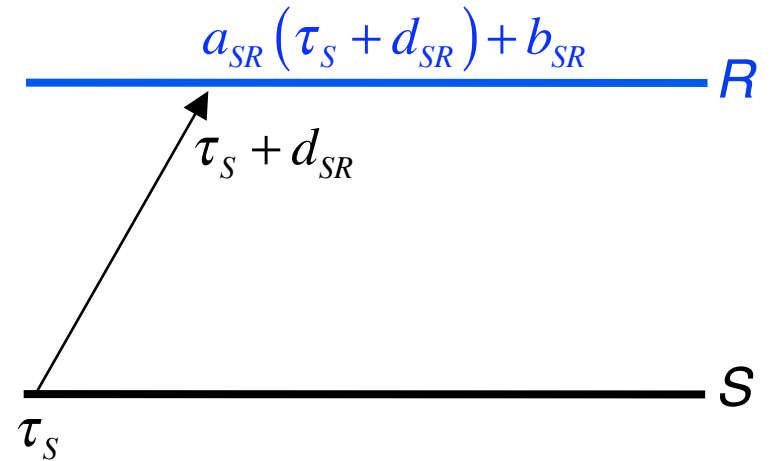
- ◆ Without Man-in-the-Middle
 - Time received is affine in τ_S
 - Coefficient a_{SR} is estimate of skew

- ◆ With Man-in-the-Middle

- ◆ M's forwarding policy
 - Packet received at τ
 - Forwarded at $F(\tau)$

- ◆ Receipt time $a_{SR} (F(\tau_S + d_{SM}) + d_{MR}) + b_{SR}$ has to be affine in τ_S

- ◆ So $F(\tau)$ has to be affine in τ



Expansionary affine forwarding policy

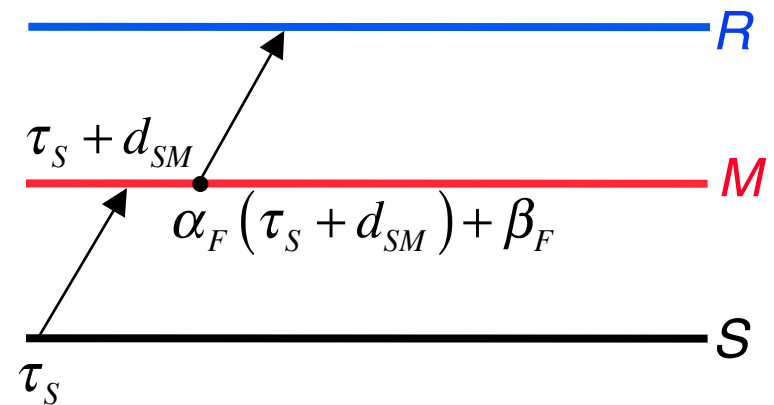
- ◆ Consider affine forwarding policy

$$F(\tau) = \alpha_F \tau + \beta_F$$

- ◆ Causality
- ◆ Forwarding packet can only take place *after* receiving packet

$$\alpha_F (\tau_S + d_{SM}) + \beta_F \geq \tau_S + d_{SM} \text{ for all } \tau_S$$

- ◆ So $\alpha_F \geq 1$

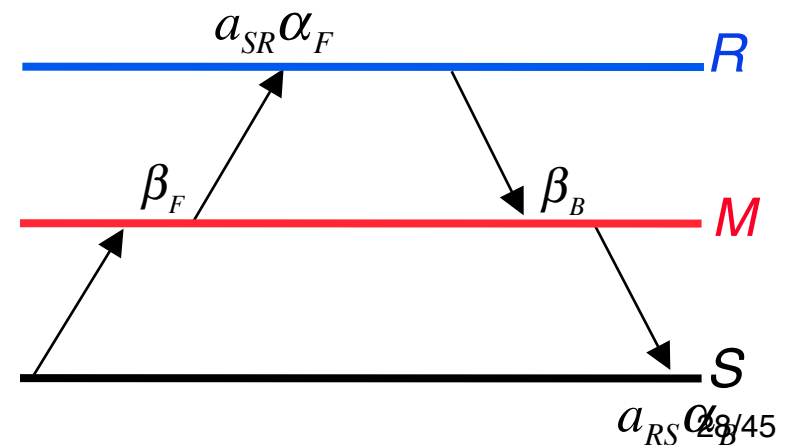
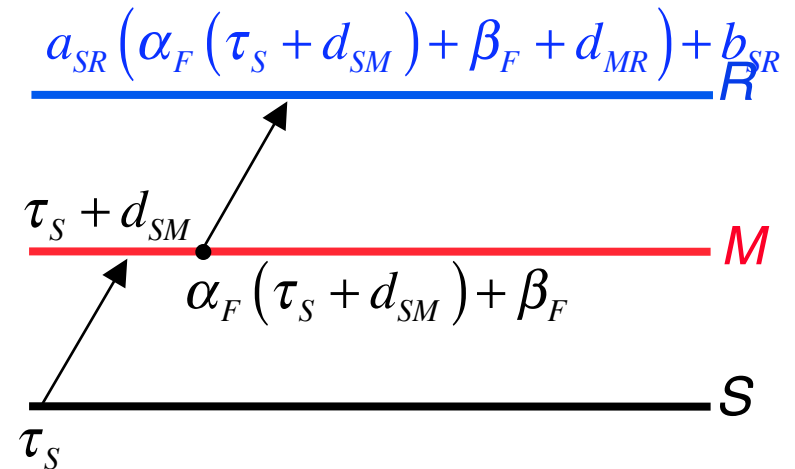


M can only add a *constant delay* to all packets

- ◆ Estimate of skew = Coefficient of τ_S
- ◆ So skew estimate made by R with reference to S is $a_{SR}\alpha_F$
- ◆ *Backward* path skew estimate made by S with reference to R is $a_{RS}\alpha_B$
- ◆ But *product* of skew estimates has to be 1

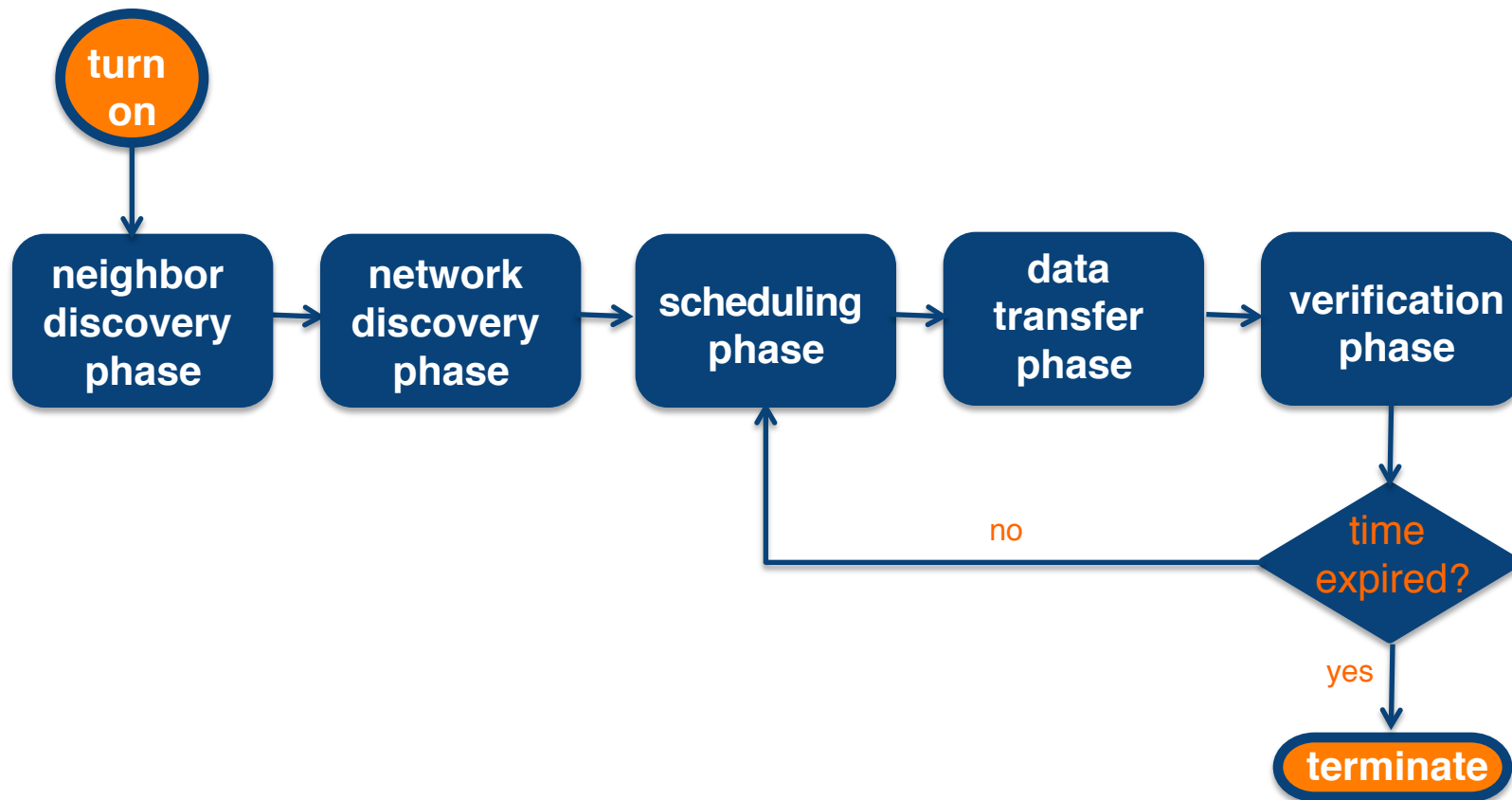
$$a_{SR}\alpha_F a_{RS}\alpha_B = \alpha_F\alpha_B = 1$$

- ◆ But $\alpha_F \geq 1$ and $\alpha_B \geq 1$
- ◆ So $\alpha_F = \alpha_B = 1$
- ◆ Forwarding time is *pure delay*: $F(\tau) = \tau + \beta_F$



Now on to the scheme ...

Phases of operation of protocol suite



The challenges – 1

- ◆ Nodes need to discover who their neighbors are
 - Require a two-way handshake between the nodes
 - How can we guarantee that any two nodes can communicate packets with each other when other nodes are liable to transmit at the same time and cause collisions?
 - Need an *orthogonal medium access scheme*
 - Must operate with clocks that are not synchronized and tick at different and unknown rates
- ◆ Nodes will need to synchronize their clocks with neighbors
 - Need to work with fundamental limitations on clock synchronization
 - Nodes can synchronize their skews but not their offsets which are indistinguishable from delays

The challenges – 2

- ◆ Nodes need to form a network
 - Require network wide consistency checks
 - Individual links may look OK, but there could be more complicated hidden inconsistencies
 - Everything has to be done in the presence of malicious nodes while under attack

- ◆ Nodes draw up a schedule for transmissions and send data
 - Some malicious nodes that conformed hitherto or remained hidden hitherto may not cooperate
 - This requires a check to detect malicious behavior and another round of network wide computation with the un-cooperating nodes being taken into account

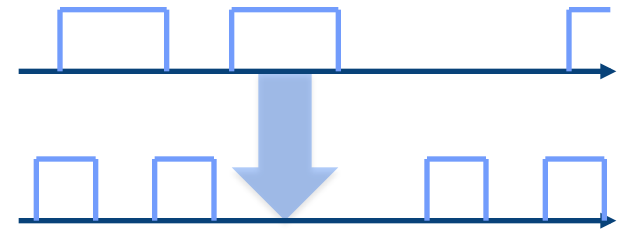
The challenges – 3

- ◆ Challenge caused by clock wrap-around, which allows “replay attack”
- ◆ So above has to be done with a finite bound on clocks
- ◆ Also has to be done in the presence of skew errors
- ◆ More challenges since we also aim for ε -optimality over network lifetime

Neighbor discovery phase – 1

Orthogonal MAC Code

- ◆ Each node attempts to discover its neighbors via two-way handshake
 - Problem of uncoordinated communication
 - Node i has to transmit when node j is listening
 - Clocks have differing skews and times
 - Need a way for every pair of nodes to communicate
 - Orthogonal MAC code



Theorem

There exists an **Orthogonal MAC code** that allows **any pair of neighbors** to **exchange a message of size W** , **within a bounded time**

Neighbor discovery phase – 2: Clocks

- ◆ Each node attempts to discover its neighbors identities and clock parameters
 - Skew can be estimated
 - But not offset

Theorem

There exists a protocol that enables **any pair** of **unsynchronized, half-duplex neighbors** to

- (i) Determine their relative clock skew to within a desired error
- (ii) Bound relative clock offset
- (iii) Learn and authenticate each other's identities in a mutually signed link certificate

Network discovery phase – 1: Topological view

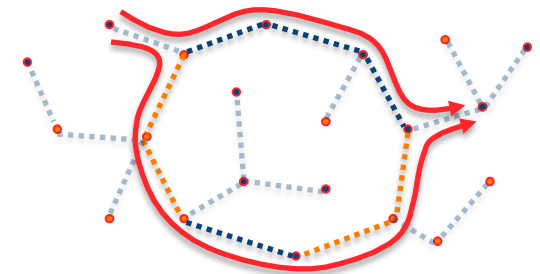
- ◆ Each good node attempts to discover topology of the network and relative clock parameters of all the other nodes
 - Views should be common and internally consistent
 - Malicious nodes can lie
 - Each node broadcasts its information about its neighbors
 - Byzantine General's algorithm

Theorem

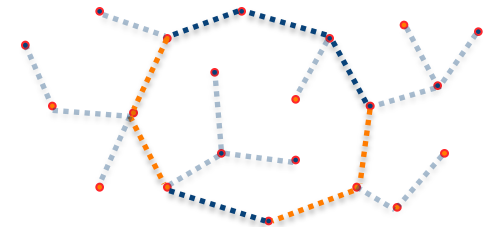
The **good nodes** will decide on the **same topological view** after a **bounded number of transmissions**.

Network discovery phase – 2: Clocks

- ◆ Internal information in common views may be *inconsistent*
 - There may be two paths with different clock skew products along paths
 - Impossible to determine which path is correct from declared clock skews alone



- ◆ Consistency check protocol
 - Procedure to detect one malicious link
 - There will be an inconsistent cycle, with skew product differing greatly from 1
 - Wait for estimated and actual clock to diverge enough
 - Transmit a packet around cycle that each node must immediately forward



Problem of unsynchronized coordination

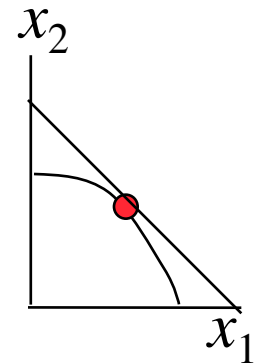
- ◆ Problem of coordination is *prior* to synchronization
 - Each stage of Neighbor Discovery phase, Byzantine General's algorithm, and Consistency Check, must be completed simultaneously by network
 - However, clocks have different skews and nodes will proceed through each stage at different speeds
- ◆ Solution
 - Assign increasingly larger intervals to each stage so that each node will complete the stage in the same interval regardless of clock skew and offset.

Theorem

There exists a schedule that allows unsynchronized nodes to simultaneously complete a finite number of protocol stages within a bounded time

The Scheduling Phase

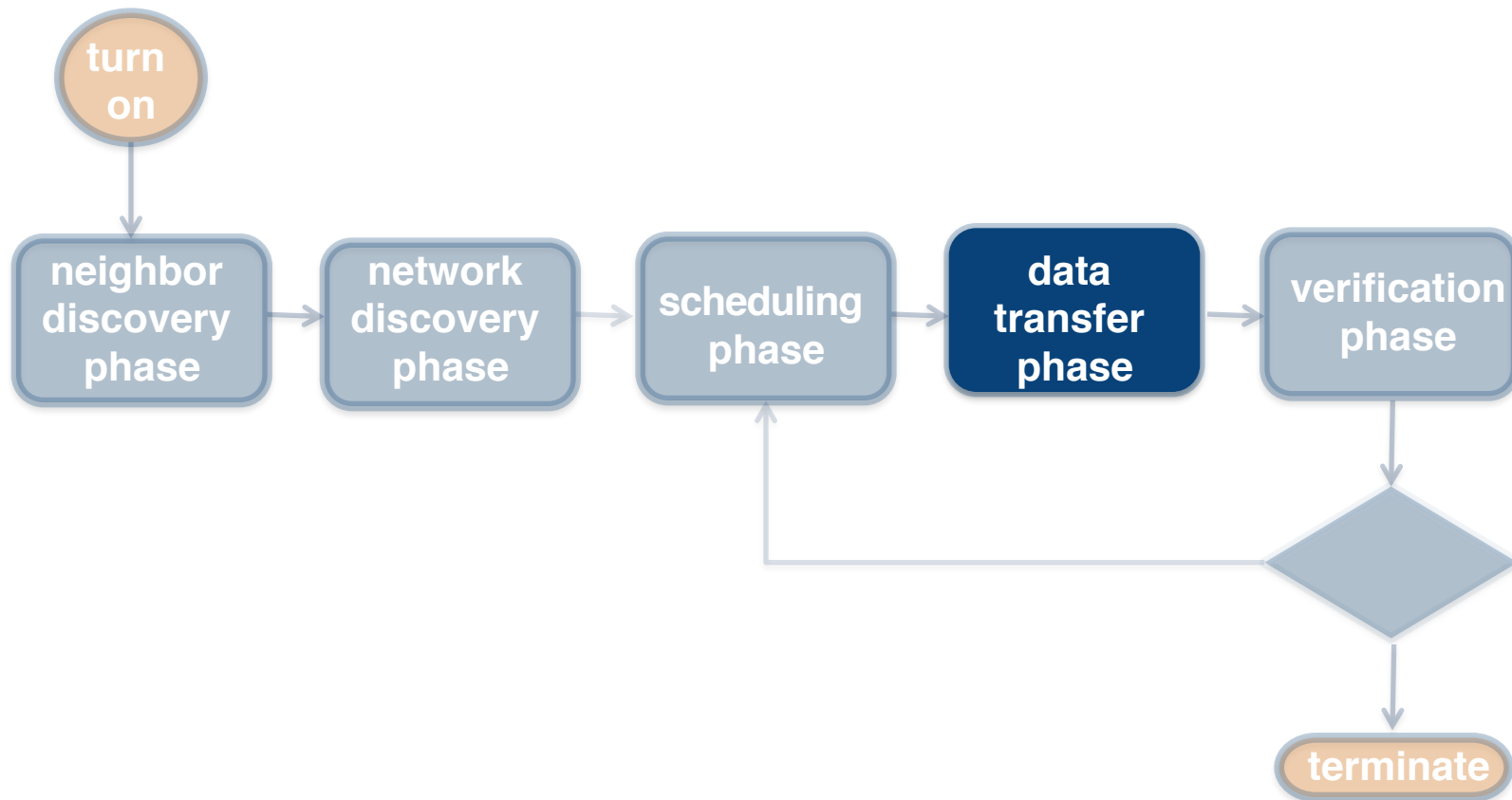
- ◆ The good nodes determine an optimal schedule
 - Schedule determines optimal end-to-end data rates for each S-D pair
 - Based on time sharing concurrent transmission sets
 - Schedules packets in each concurrent transmission set
 - But estimates of reference clock may diverge because of quantization error in skew estimate – insert “guard bands”



Theorem

There exists a schedule that allows a network of synchronized nodes to maximize its utility over a set of feasible concurrent transmission sets and ensure the rate loss due to clock divergence and overhead is arbitrarily small

The Data Transfer Phase

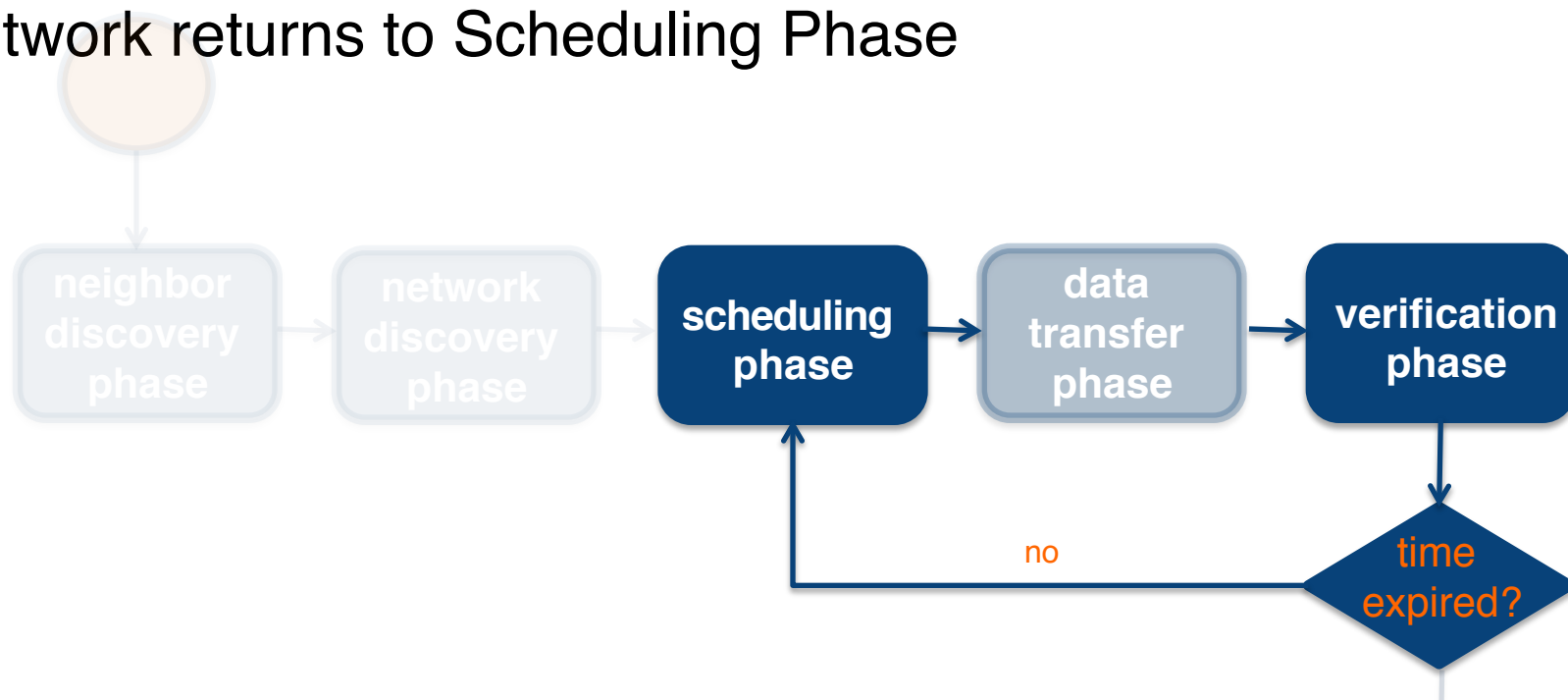


The Data Transfer Phase

- ◆ Nodes are expected to conform to the schedule and transmit or relay packets accordingly
- ◆ But malicious nodes may disable a concurrent transmission set by not cooperating
- ◆ Each node records a “failed” packet and concurrent transmission set
- ◆ So we need Verification and iterative pruning

The Verification Phase

- ◆ Each node broadcasts the failed concurrent transmission set for the lowest numbered packet that did not arrive
- ◆ Byzantine Generals algorithm ensures a common view
- ◆ One failed concurrent transmission set is pruned
- ◆ Network returns to Scheduling Phase



Min-Max Optimality

- ◆ Can bound the loss due to failed concurrent transmission set in data transfer phases, clock skew and divergence errors, and all overheads
- ◆ Min-Max Optimality
 - Let Θ_f denote set of disabled concurrent transmission sets
 - Let C denote the set of all concurrent transmission sets

$$\max_{P(C \setminus \Theta_f)} U \geq \min_{\Theta} \max_{P(C \setminus \Theta)} U$$

Theorem

The utility achieved by the protocol over the entire operating lifetime is near min max optimal

Some remarks

- ◆ Extensions
 - Nodes not born within bounded time of each other
 - Probabilistic receptions
 - Mobility – gives rise to time-varying system
 - Abstractions/assumptions can be attacked
 - Information theoretic security
- ◆ Lots of issues
 - What performance measure?
 - Long transients, overhead in transient period
- ◆ Perhaps
 - These results can serve as an “existence proof”
 - Can serve as suggesting an architecture for secure wireless networks
 - Follow up work to mitigate overheads: “Optimization after security”
 - Work may spawn alternative architectures for secure networking

Thank you